

### Unit Circle and Trig Function GSP Tour

-Open the UnitCircleTrig file posted on the website and explore it to fill in the following blanks. On a clean sheet of notebook paper, you must write this out (no print outs) and underline, highlight or use a different color for the words that go in the blanks. Not doing so will result in no credit.

When I open the gsp file I notice a circle centered on a graph. The x-axis has units of \_\_\_\_\_ and goes from about \_\_\_\_\_ to about \_\_\_\_\_. This is for plotting the trig functions \_\_\_\_\_, \_\_\_\_\_ and \_\_\_\_\_ because there are \_\_\_\_\_ degrees in a complete circle. The y-axis goes from about \_\_\_\_\_ to about \_\_\_\_\_ because it represents the radius of the unit circle which by default is \_\_\_\_\_ unit(s).

The unit circle (and any circle) can be graphed by using either a regular function based on the \_\_\_\_\_, such that the radius is equivalent to the \_\_\_\_\_ of the two sides squared. In the case of the unit circle the function would be  $y = \sin(\theta)$ . To graph a circle with radius 'r', the function would change to  $y = r \sin(\theta)$ . A circle itself is not a true function because it does not pass the \_\_\_\_\_ test or in other words there are multiple \_\_\_\_\_ values for each \_\_\_\_\_ value. In this case however we are taking the \_\_\_\_\_ root of  $(r^2 + x^2)$  to solve for \_\_\_\_\_ when we have  $y^2$ . We know that anytime we take the square root of a number we wind up with \_\_\_\_\_ results, one is \_\_\_\_\_ and one is \_\_\_\_\_ because the square of a positive number as well as the negative of that number with both give us the same number (i.e.  $(3)^2 = 9$  and  $(-3)^2 = 9$ ). This means that the function for a circle is essentially two functions, one that has \_\_\_\_\_ values that are positive and one that has 'y' values that are \_\_\_\_\_. The \_\_\_\_\_ form of the circle equation is:  $y^2 + x^2 = r^2$ . Adding to the \_\_\_\_\_ values would move the circle up while subtracting from the \_\_\_\_\_ values would move it down. Adding to the \_\_\_\_\_ values would move the circle to the right while subtracting from them would move it left.

The trig functions can also be used to graph a circle by splitting the 'x' and 'y' values into \_\_\_\_\_ equations (vector eq's). The trig functions explain the lengths of the \_\_\_\_\_ of the triangles formed by the central angle of the circle: (the variable used for that angle is commonly \_\_\_\_\_). To find the leg that is the 'x' length we use the \_\_\_\_\_ function and to find the leg that is the 'y' length we use the \_\_\_\_\_ function.

The conversion factor to change from degrees to radians is: 1 radian = \_\_\_\_\_ and to convert from radians to degrees (solve for degrees algebraically): 1 degree = \_\_\_\_\_. As we move around the circle we are at \_\_\_\_\_ radians when we are at 180 degrees. When we are at \_\_\_\_\_ radians we are at 53 degrees. When we are at  $3.5\pi$  radians we are at \_\_\_\_\_ degrees and when we are at  $0.3\pi$  radians we are at \_\_\_\_\_ degrees.

(click show sin then drag point 'x' or click the 'Move around the circle' button)

Observing what happens with the triangle and the graph of sin of the angle theta, I notice that the values on the x-axis represent \_\_\_\_\_ and on the y-axis represent the \_\_\_\_\_ which is the \_\_\_\_\_ of the circle at 90 and 270 degrees. The sin function is plotted as we move along the x axis. If we start at 0 degrees the y value, which is the same as the \_\_\_\_\_ side of the triangle formed by angle theta, is equal to \_\_\_\_\_.