

9.6A Translate and Classify Conic Sections P. 650

Parabolas, circles, ellipses, and hyperbolas are called **conic sections** or simply **conics**, because they are formed when a plane intersects a double napped cone. (See p. 649 for illustrations)

Translating conics means to graph a conic section whose only vertex or center is **not** the origin.

Standard Form of Equations of Translated Conics

The point (h, k) is the *vertex* of the parabola and the *center* of the other conics.

Circle $(x - h)^2 + (y - k)^2 = r^2$

Horizontal Axis

Vertical Axis

Parabola $(y - k)^2 = 4p(x - h)$

$(x - h)^2 = 4p(y - k)$

Ellipse $\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$

$\frac{(x - h)^2}{b^2} + \frac{(y - k)^2}{a^2} = 1$

Hyperbola $\frac{(x - h)^2}{a^2} - \frac{(y - k)^2}{b^2} = 1$

$\frac{(y - k)^2}{a^2} - \frac{(x - h)^2}{b^2} = 1$

Graph the equation. Identify the important characteristics of the graph.

1. $(x - 3)^2 + (y - 2)^2 = 25$

Circle

C(3, 2)

r = 5

$a_1 (-2, 2)$

$a_2 (3, 7)$

$a_3 (8, 2)$

$a_4 (3, -3)$

Circles

1. **Classify** the type of conic.
2. Name and plot the **center** (h, k) .
3. Name the **radius**.
4. Use the radius to graph and label **four** points on the circle.
5. **Draw** the circle.

