

# Classwork

Name: \_\_\_\_\_ Period: \_\_\_\_\_

## Laws of Exponents – Day 1

### Exponent Vocabulary:

Exponential Form	Expanded Form	Standard Form
	<b>3·3·3·3·3</b> Expanded form shows the actual multiplication	<b>243</b> Standard form is basically the "answer"

**Coefficient** - A coefficient is something being multiplied by another quantity. For example:

5 is the coefficient →  $5x$       2.3 is the coefficient →  $2.3x^2$

### Multiplication and Division with Exponents:

When working with exponents, there are certain rules we can use to help us to simplify the process of multiplying and dividing.

#### MULTIPLICATION (Product of Powers Rule)

Problem	Rule	Expanded form (Why it works)	Solution
$5^1 \times 5^3$	When multiplying exponents with the same base – add the exponents: $5^1 \times 5^3 = 5^{1+3} = 5^4$	$5^1 \times 5^3$  This is the same as $5^4$	$5^4 = \underline{625}$
$y^2 \cdot y^3$	When multiplying exponents with the same base – add the exponents: $y^2 \cdot y^3 = y^{2+3} = y^5$	$y^2 \cdot y^3$  This is the same as $y^5$	$y^5$ <small>*We can't figure out a number answer until we know what "y" is</small>
$5y^2 \cdot 2y^3$	When multiplying exponents with the same base – add the exponents, if there are coefficients, multiply them $5y^2 \cdot 2y^3 = (5 \times 2) (y^{2+3}) = 10y^5$	$5y^2 \cdot 2y^3$  This is the same as $10y^5$	$10y^5$ <small>*We can't figure out a number answer until we know what "y" is</small>

### Let's try a few

Simplify:

1)  $8^2 \cdot 8^3$

2)  $x^{10} \cdot x^5$

3)  $3x^3 \cdot 5x^2$

4)  $8x^6 \cdot 5x$