Mc	hysics 4: Linear Momentum and Energy mentum and Energy formulas	Name
1.	impulse changes object's momentum: $F\Delta t = m\Delta v = \Delta p$	
2. 3.	quantity of motion (vector quantity): $\mathbf{p} = \mathbf{m}\mathbf{v}$ (kg•m/s) work changes object's energy: $\mathbf{W} = \mathbf{F}_{\parallel}\mathbf{d}$ (J)	
Э.	a. measured in joules (1 J = 1 N·m)	
	a. Only component of F parallel to d does work	
	7 F	
	θ	
	d	
	1. $F_{\parallel} = F \cos \theta :: W = (F \cos \theta) d$	
	 include sign ∴ W > 0 when F → d → F↑↓ when d → (orbit) 	
	 F↑↓ when d → (orbit) variable force—stretching a spring 	
	1. graph spring force (F_s) vs. position (x)	
	$F_s = kx$	
	slope = k	
	Area = W	
	Alea = W	
	2. $F_s = kx$:: slope = $\Delta F_s / \Delta x = k$	
	3. $W = F_s x$ area = $\frac{1}{2}x(kx) = \frac{1}{2}kx^2 = W$	
	c. power is the rate work is done: $P = W/t$ (W)	
	1. measured in watts (1 W = 1 J/s) 2. $P = W/t = F(d/t) = Fv_{av}$ (v is average)	
	3. graphing	
	a. $P = W/t$: slope of W vs. t graph	
	b. $P = Fv_{av}$ area under Fv_{s} . v_{g} graph	
	 kilowatt-hour, 1KWh = 3.6 x 10° J 	
4.	mechanical energy	
	 a. work-energy theorem: work done to an object increases mechanical energy; work done by an 	
	object decreases mechanical energy	
	b. scalar quantity, like work	
	c. kinetic energy—energy of motion	
	 positive only K = ½mv² = p²/2m 	
	Steps Algebra	
	ort with $v^2 = v_0^2 + 2ad$	
as	sume $K_0 = 0$ $\therefore V_0 = 0$ $V^2 = 2ad$	
	live for ad $ad = \sqrt{x}^2$ art with $K = W = Fd$	
	bstitute ma_for F $K = (ma)d_{\underline{=}} = m(ad)$	
	bstitute $\sqrt{2}v^2$ for ad $K = m(\sqrt{2}v^2)$ arrange $K = \sqrt{2}mv^2$	
	arrange K = ⅓mv²	
	art with $mv = p$ uare both sides $m^2v^2 = p^2$ ride both sides by $2m$ $m^2v^2/2m = p^2/2m$	
	uare both sides $m^2 \sqrt{r} = p^2$ ride both sides by 2m $m^2 \sqrt{r} / 2m = p^2 / 2m$	
	bstitute K for $\frac{1}{2}mv^2$ $K = \frac{p^2}{2m}$	
	d. potential energy—energy of relative position	•
	gravitational potential energy	
	a. based on arbitrary zero (usually closest or farthest apart)	
	(usually closest of faithest apart) b. $U_q = mgh$ (near the Earth's surface)	
	Steps Algebra	
	art with $U_q = W = Fd$	
	bestitute mg for F $U_g = (mg)d$	
su	bstitute h for d $U_g = mgh$ c. $U_g = -GMm/r$ (orbiting system)]
su		
su	1. $G = 6.67 \times 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$	
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su	 G = 6.67 x 10⁻¹¹ N+m²/kg² r = distance from center to center U_g = 0 when r is ∞ ∴ U_g < 0 for all values of r because positive work is needed reach U_g = 0 	
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